

# ECE2049 E22: Homework 6 Solutions

## Problem 1

### Part a

$$V_{min} = 0.00475 * (-60^{\circ}C) + 1.29V = 1.005V$$

$$V_{max} = 0.00475 * (90^{\circ}C) + 1.29V = 1.7175V$$

### Part b

Since the full range of voltages returned by the sensor will be 1.005V to 1.7175V,  $V_{REF+}$  should be selected as 2.5V. This will measure the highest resolution possible while ensuring that it is possible to measure the full temperature range.

### Part c

The sensor equation is linear with a slope of  $0.00475V / ^{\circ}C$ .

With a 12-bit ADC and a reference voltage of 2.5V, the resolution can be computed as:

$$\frac{2.5V}{2^{12} \text{ bits}} = 0.000610V/bit$$

Using this information, we can find the change in temperature per bit by setting up a ratio:

$$\frac{0.000610V}{1 \text{ bit}} * \frac{1^{\circ}C}{0.00475V} \simeq 0.12842^{\circ}C/bit$$

### Part d

First we need to find the voltage output by the sensor at this temperature,  $V_{Temp}$ :

$$V_{Temp} = V(24.8^{\circ}C) = 0.00475 * (24.8^{\circ}C) + 1.29V = 1.408V$$

Next, we can compute the ADC code for this voltage based on our ADC12 configuration. There are two ways to do this. The simplest way involves using the resolution:

$$ADC \text{ Output} = \lfloor V_{IN}/Resolution \rfloor = \lfloor (1.408V)/(0.000610V/bit) \rfloor = \lfloor 2306.54 \rfloor = 2306$$

It is technically more precise to use the full equation for the ADC:

$$ADC \text{ Output} = \left\lfloor \frac{V_{Sensor} - V_{REF-}}{V_{REF+} - V_{REF-}} * (2^k - 1) \right\rfloor \quad (1)$$

Since  $V_{REF-} = 0V$ , we can write:

$$ADC \text{ Output} = \left\lfloor \frac{V_{Sensor}}{V_{REF+}} * (2^k - 1) \right\rfloor = \left\lfloor V_{Sensor} * \frac{2^k - 1}{V_{REF+}} \right\rfloor \quad (2)$$

Thus, for our problem:  $V_{Temp} = \left\lfloor 1.408V * \frac{2^{12}-1}{2.5V} \right\rfloor = \lfloor 2306.3 \rfloor = 2306$

The difference between the two methods is subtle: the second version uses  $(2^k - 1)$  in place of  $2^k$ : this ensures that a code with the maximum value of 4095 represents the maximum voltage value for  $V_{REF+}$ .

## Part e

This problem is the inverse of part (d). First, we find the  $V_{Temp}$  corresponding to this ADC code:

$$V_{Temp} = (ADC \text{ Code}) * (Resolution) = (2415 \text{ bits}) * (0.000610V/bit) = 1.47V$$

Then we can compute the temperature based on the equation for the sensor:

$$1.47V = 0.00475 * (Temp^{\circ}C) + 1.29V$$

$$Temp = 38.73^{\circ}C$$

## Part f

```
// We can perform this conversion in a similar manner to
// part (e): first we find the voltage that corresponds to the ADC
// code, then we can find the temperature
#define VOLTS_PER_BIT (.000610f) // (2.5/4095)

float convert_temp(unsigned int adc_code) {
    float volts = ((float)adc_code) * VOLTS_PER_BIT;
    float deg_c = (volts - 1.29) / 0.00475;

    return deg_c;
}
```

## Problem 2

### Part a

The maximum value that can fit in a 32-bit unsigned integer is  $2^{32} - 1 = 4294967295$ . We also can figure out that there are 31,536,000 seconds in a year. With the following calculation we can find the number of years held in a maximum value 32-bit unsigned integer:

$$4,294,967,295 \text{ sec} * \frac{1 \text{ year}}{31,536,000 \text{ sec}} = 136.18 \text{ years}$$

Which approximates to **136 years**.

### Part b

count = 5217504 in seconds

We can compute the number of days, hours, minutes, and seconds as follows:

$$3665044 \text{ sec} * \frac{1 \text{ day}}{86400 \text{ sec}} = \lfloor 42.41040907 \text{ days} \rfloor = \mathbf{42 \text{ days}}$$

$$3665044 \text{ sec} \bmod \frac{86400 \text{ sec}}{1 \text{ day}} = 36244 \text{ seconds left}$$

$$\lfloor 36244 \text{ sec} * \frac{1 \text{ hour}}{3600 \text{ sec}} \rfloor = \mathbf{10 \text{ hours}}$$

$$36244 \text{ sec} \bmod \frac{3600 \text{ sec}}{1 \text{ hour}} = 244 \text{ seconds left}$$

$$\lfloor 244 \text{ sec} * \frac{1 \text{ min}}{60 \text{ sec}} \rfloor = \mathbf{4 \text{ min}}$$

$$244 \text{ sec} \bmod \frac{60 \text{ sec}}{1 \text{ min}} = \mathbf{4 \text{ seconds}}$$

The count of 42 days indicates the date is February 12th: 42 full days (31 + 11) have elapsed, meaning the remaining number of seconds indicates the current time is on February 12th.

**42 days, 10 hours, 4 min, 4 sec is February 12th 10:04:04 AM**

## Problem 3

Since our timer interrupts at 25ms intervals, we need to modify `main` such that `do_thing` is called every 500ms, or  $\frac{500ms}{25ms/interrupt} = 20 \text{ interrupts}$ .

We can do this by recording the time count of the last update—when the current time exceeds the last update time by 20 ticks, we should do the thing.

```
volatile unsigned long time_count = 0;

#pragma vector=TIMER2_A0_VECTOR
__interrupt void TIMER_ISR(void) {
    time_count++;
}

void main(void) {
    unsigned long last_update = 0;

    configure_everything();
    start_25ms_timer();
    _enable_interrupt();

    while(1) { // Compare the current time to the time of the last update
        if ((time_count - last_update) >= 20) {
            do_thing();

            // Record the time of the last update for the next iteration
            last_update = time_count;
        }
    }
}
```

A potential alternative would be to use an if statement with a modulo operation to run the function on every 20th tick, as follows:

```
while(1) {
    if((time_count % 20) == 0) {
        do_thing();
    }
}
```

However, this approach may miss a call to the function if `do_thing`, or another part of the program, is running while the counter is a multiple of 20. If the if statement is only evaluated at time 19 and time 21, the function will miss its deadline. Using this “every N’tick” method is primarily suitable **when** scheduling tasks in an ISR, since we know that the statement will be evaluated on each interrupt.